

Motore sincrono a magneti permanenti

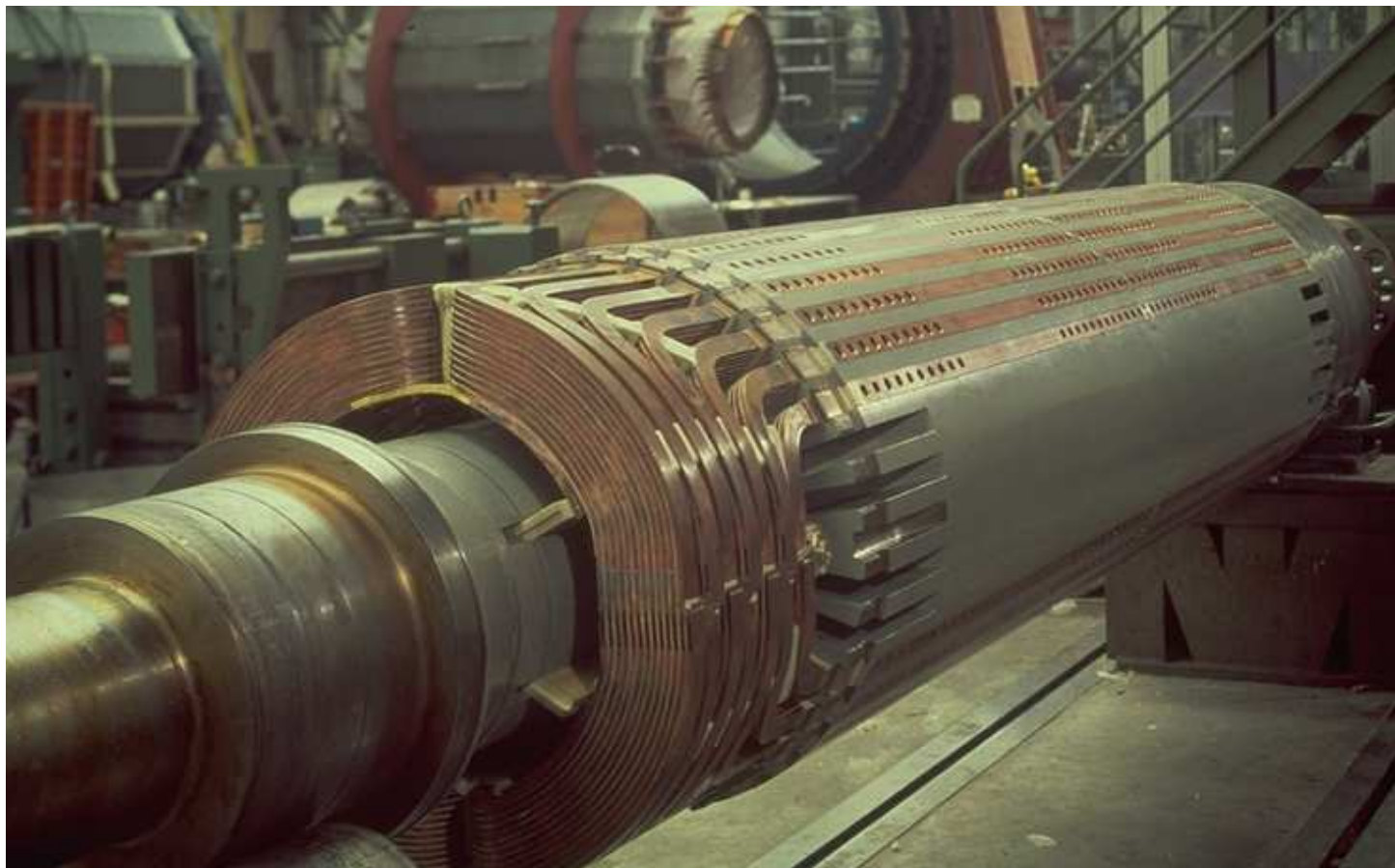
brush-less sinusoidale

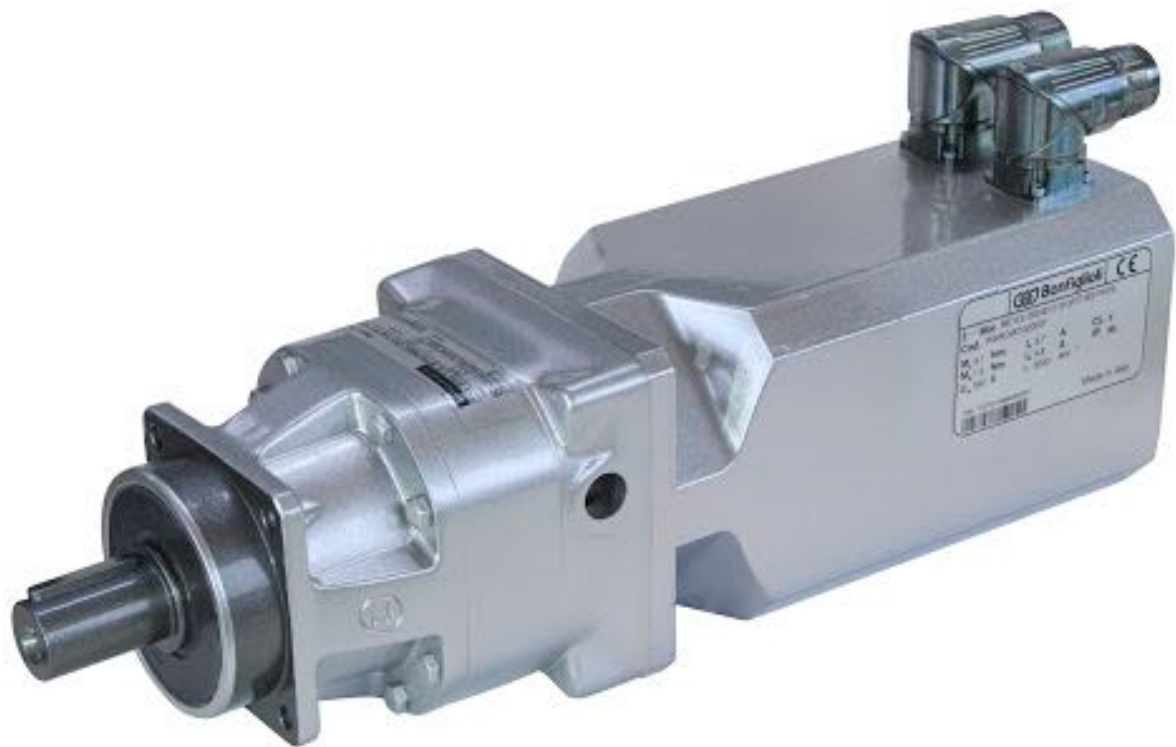
prof. Luigi Alberti
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AA 2020/2021







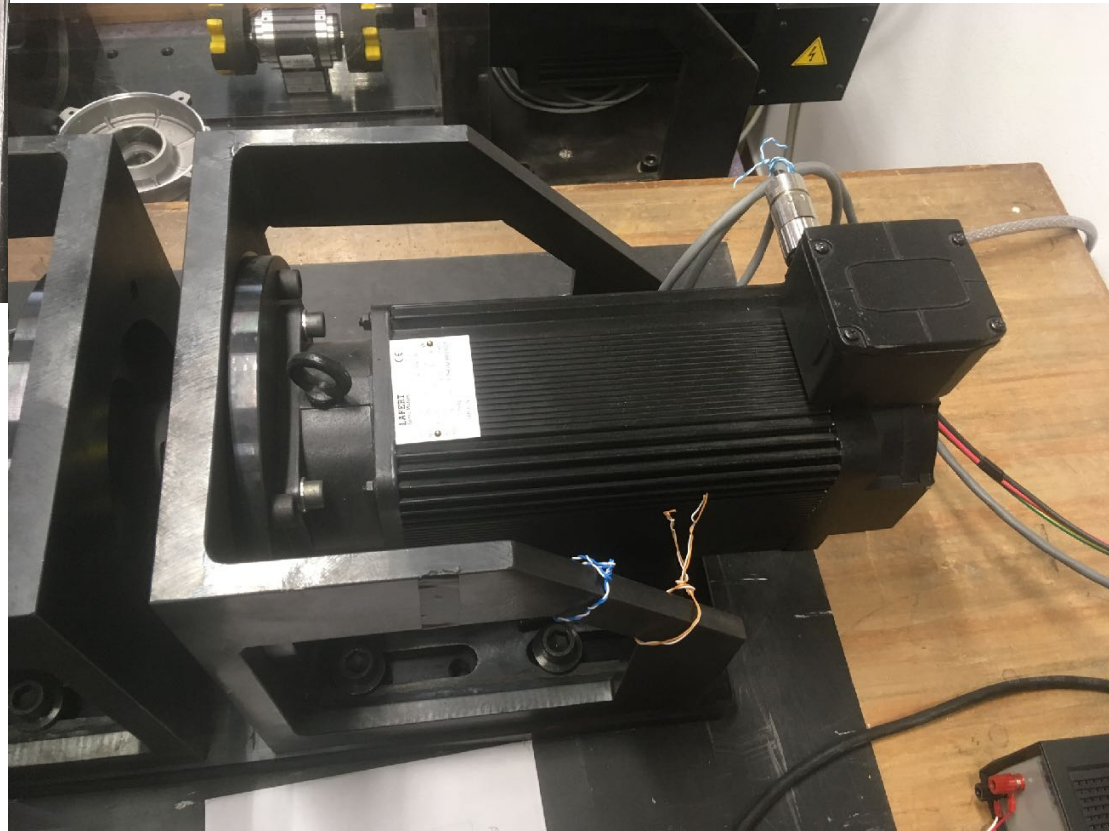


CE
G&B Benfijak
1. Max. Speed: 1500 rpm
Cm: 1.5 Nm
M: 1.5 Nm
L: 1.5 A
P: 1.5 W
Made in Spain

LAFERT
Servo Motors

CE
Made in EU

Mo 30,5 Nm Io 33,7 A 100k 2P= 6
Mn 25,6 Nm n_n 4000 /min Vi 365 VV
Brake:VDC V I A
Resolver 2P=2 Tacho 3~G.T: mVmin
IMB5 IP 65 Iso Cl.F THERM. PROTECT.
TYPE E7132Z-00151
SERIAL N. 207797



magneticVia del Lavoro, 7
MONTEBELLO (VI) ITALYPERMANENT MAGNET
BRUSHLESS SERVOMOTOR

CE

No.	152776	Type	BLQ 104 P 19	2010	
Nmax	1500	RPM	BEMF	148 V/kRPM	IP 54
Tn	33	Nm	In	28 Arms	IC 400
Tp	177	Nm	Ip	97 Arms	2p6
Transd.	02P	Brake	Nm - 24Vdc - A		
CEI EN 60034-1	Tamb. max 40° C / In. cl. F				



LUST

ANTRIEBSTECHNIK



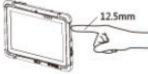


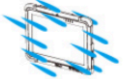








TYP: PSM-21-20G52-410 Nr.7060368

U_N 330 V M_{dN} 7.00 Nm n_N 2000 min⁻¹
 i_{dN} 3.10 A M_{d0} 8.40 Nm f_N 100 Hz
Iso.-Kl. F IP 65 10.2kg



Made in Germany



Solids		Waters	
1	 Protected against a solid object greater than 50 mm such as a hand	1	 Protected against vertically falling drops of water. Limited ingress permitted
2	 Protected against a solid object greater than 12.5 mm such as a finger	2	 Protected against vertically falling drops of water with enclosure tilted up to 15 degrees from the vertical. Limited ingress permitted
3	 Protected against a solid object greater than 2.5 mm such as a screwdriver	3	 Protected against sprays of water up to 60 degrees from the vertical. Limited ingress permitted for three minutes.
4	 Protected against a solid object greater than 1 mm such as a wire	4	 Protected against water splashed from all directions. Limited ingress permitted.
5	 Dust Protected, Limited ingress of dust permitted. Will not interfere with operation of the equipment. 2-8 hours	5	 Protected against jets of water. Limited ingress permitted.
6	 Dust tight. No ingress of dust. 2-8 hours	6	 Waters from heavy seas of water projected in powerful jets shall not enter the enclosure in harmful quantities
		7	 Protection against the effects of immersion in water between 15 cm and 1 m for 30 minutes
		8	 Protection against the effects of immersion in water under pressure for long periods

Rating Example:

IP
6
5

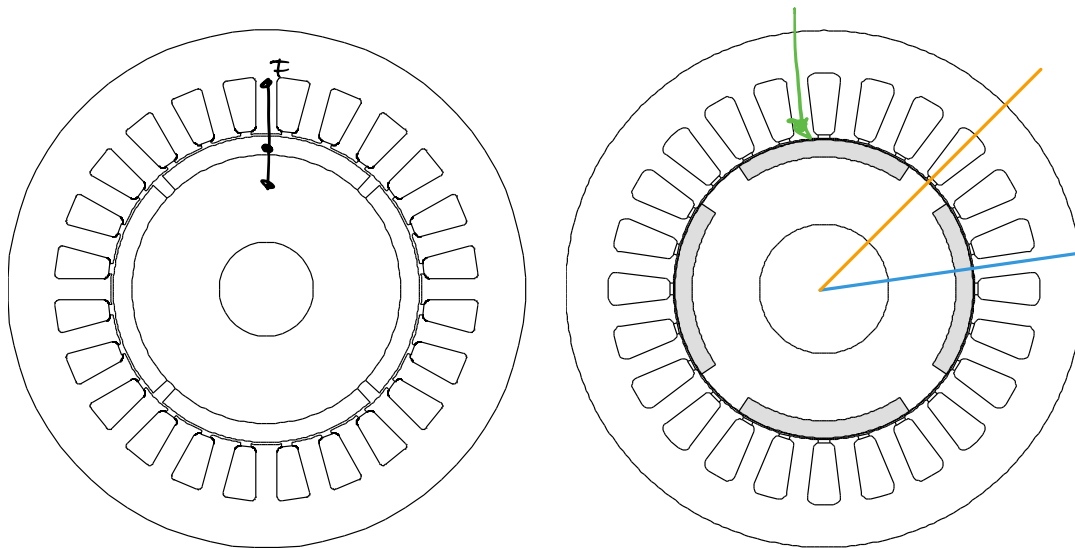
INGRESS PROTECTION



The rotor configurations

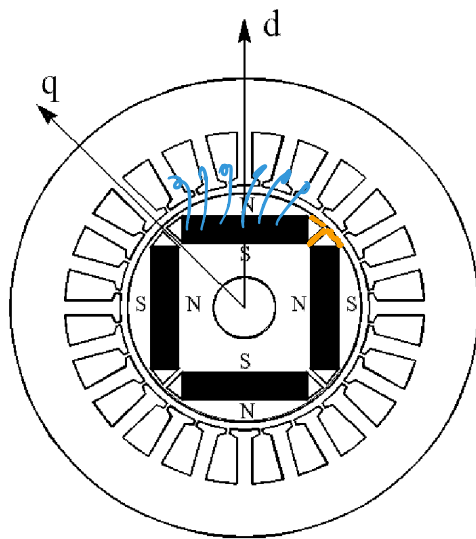
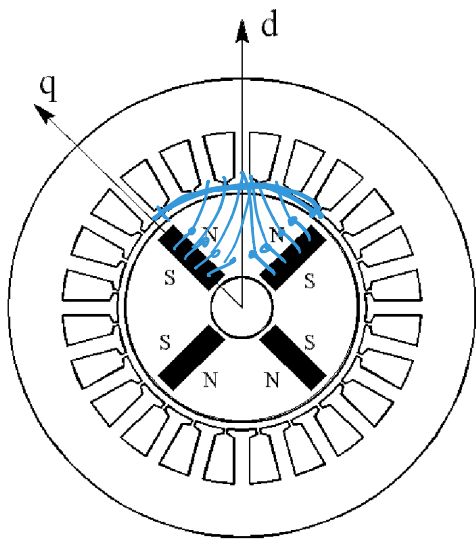
- SPM rotor
- inset rotor

4-pole 24-slot motors.



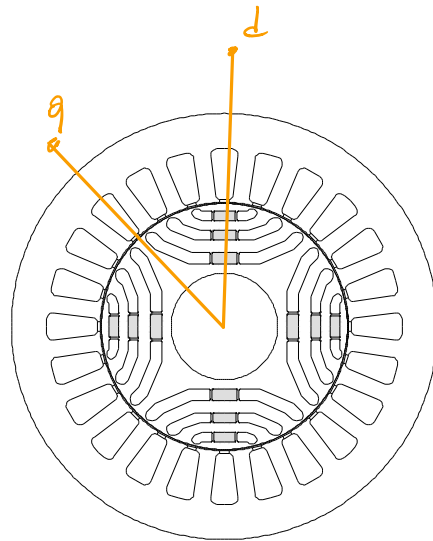
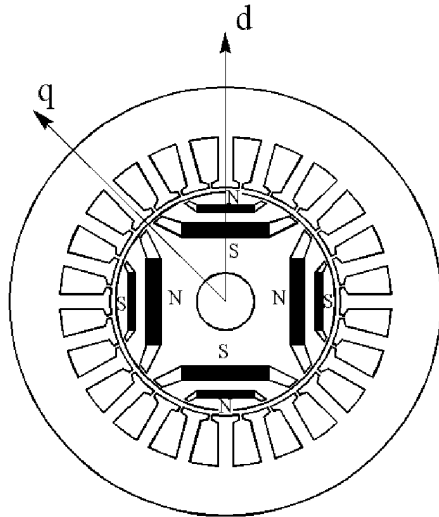
The rotor configurations

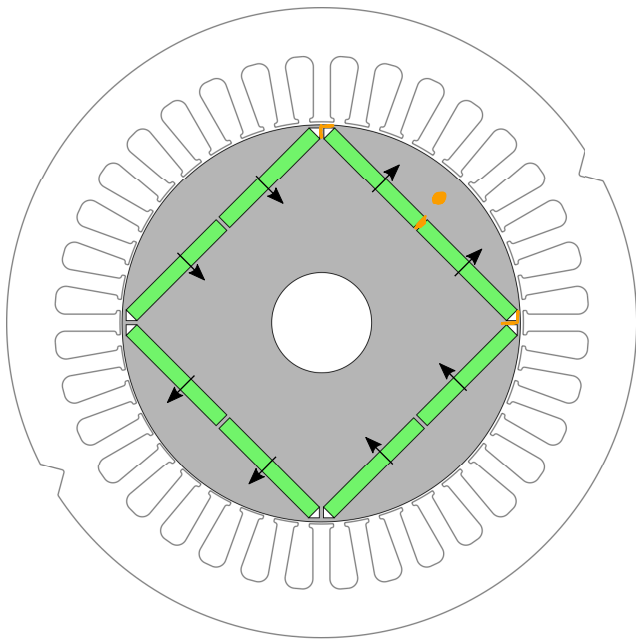
- tangentially magnetized PMs
- radially magnetized PMs



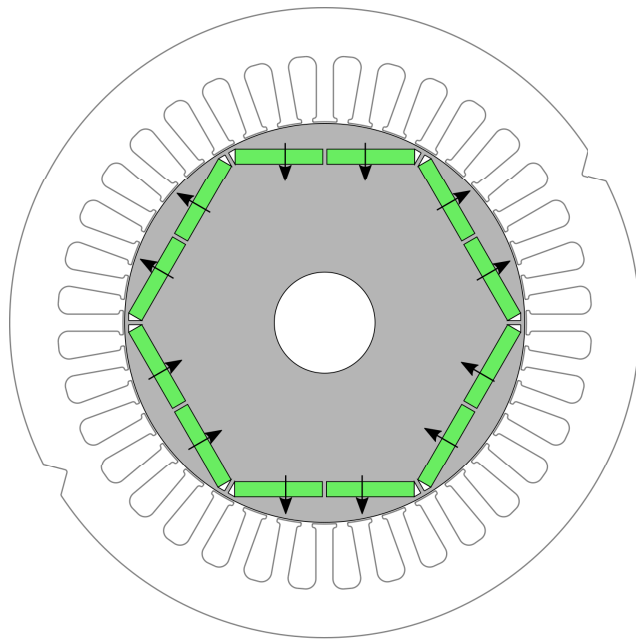
The rotor configurations

- two flux-barriers per pole
- more flux-barriers per pole
- axially laminated rotor.

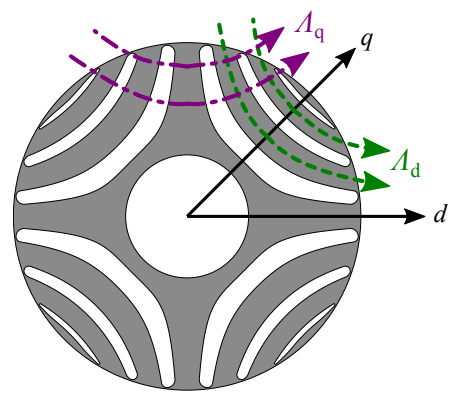
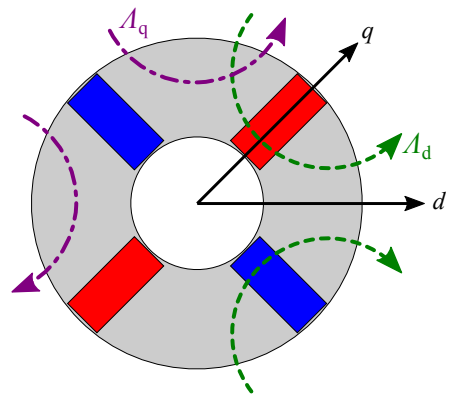
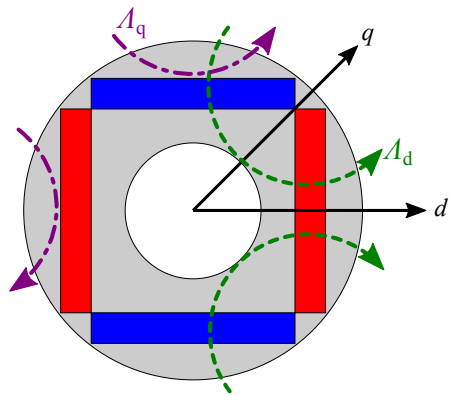
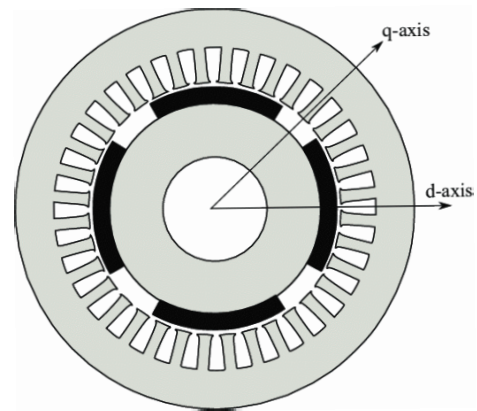


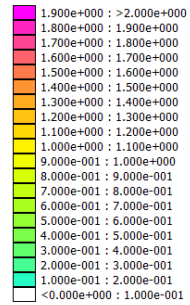
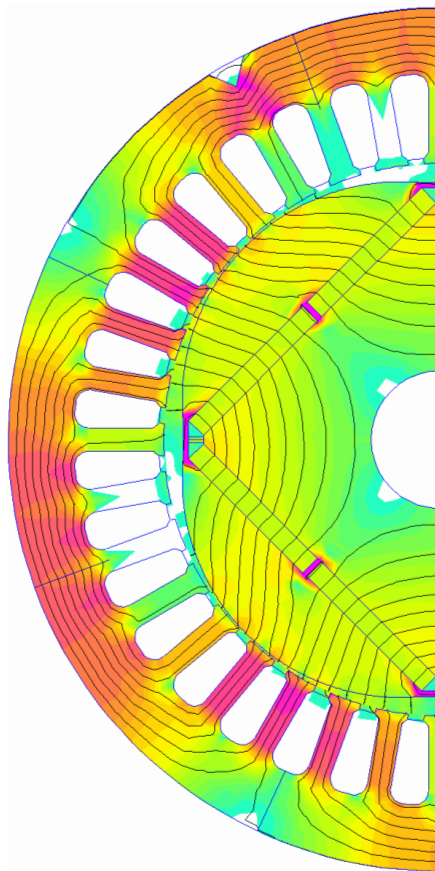


(a) 4 poli

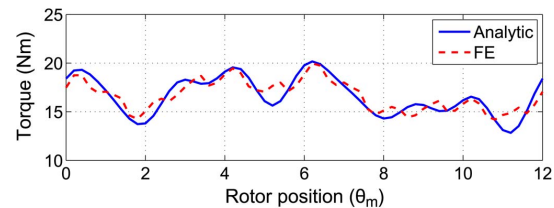
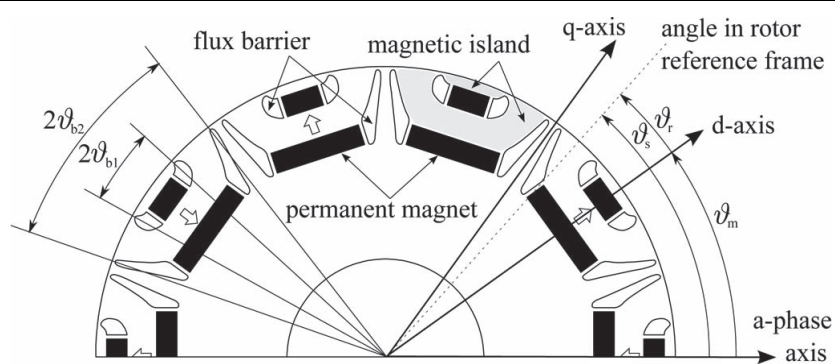


(b) 6 poli

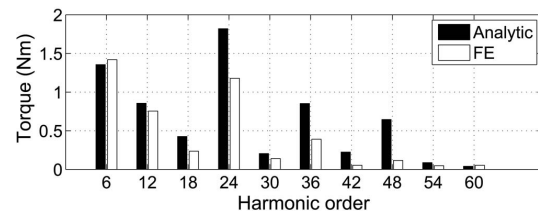




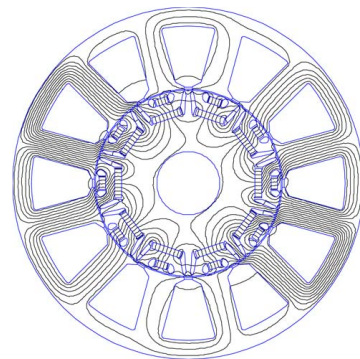
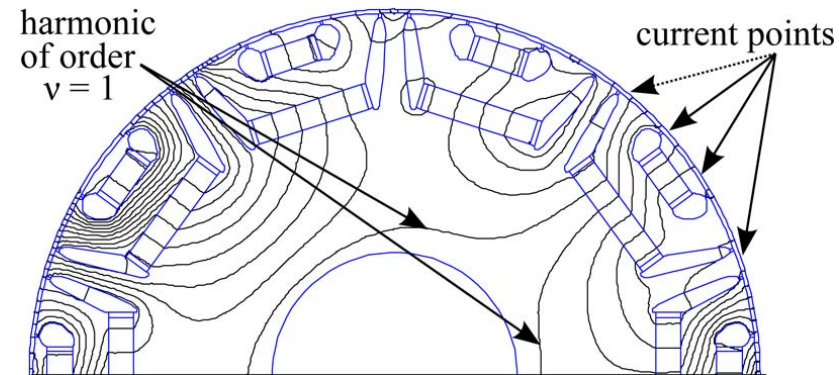
Density Plot: |B|, Tesla

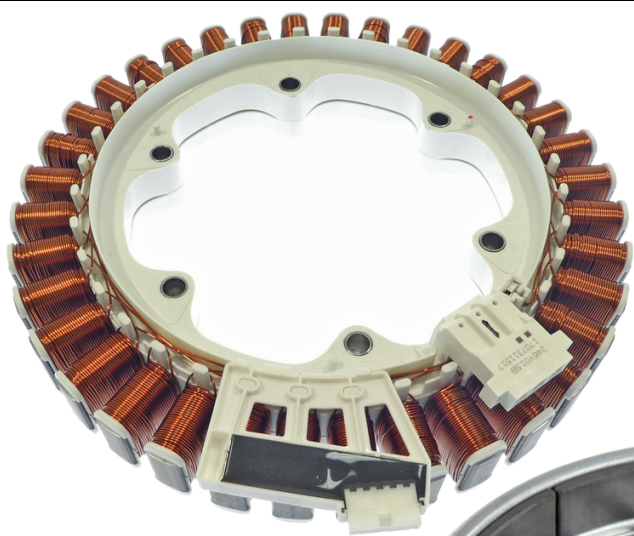


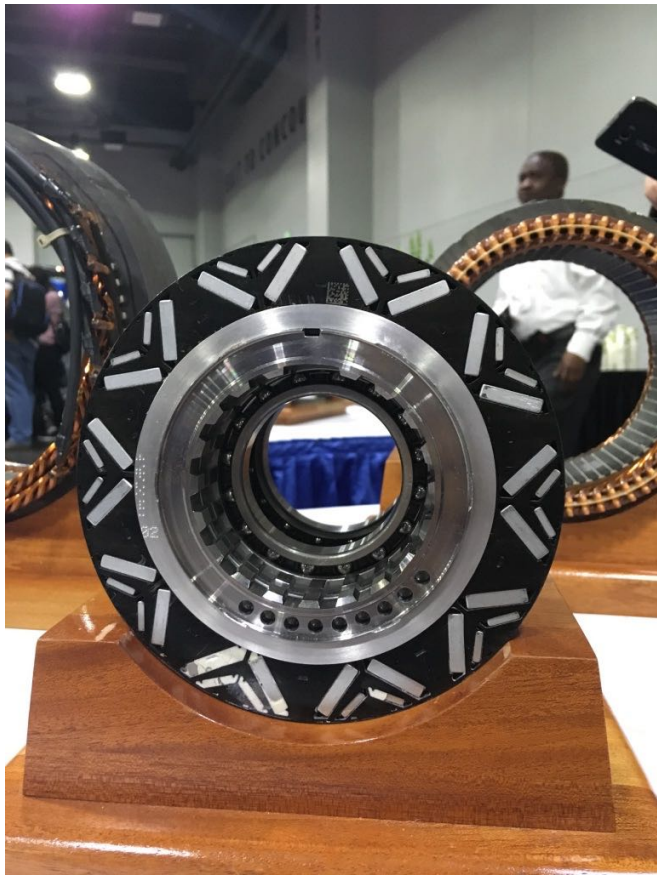
(a) Torque



(b) Harmonic content



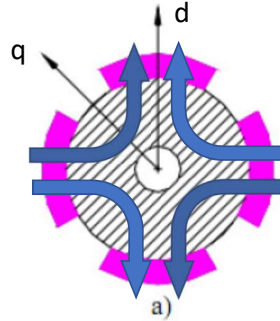




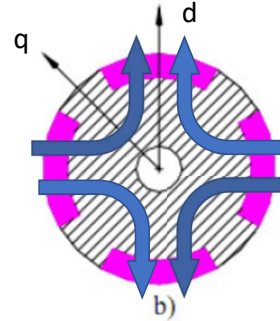


Strutture di principio motore con rotore anisotropo (IPM)

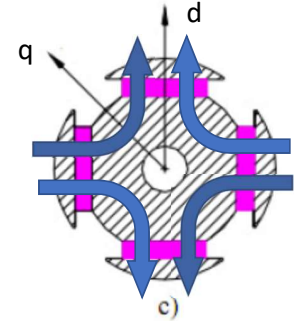
a) SPM (isotropo)



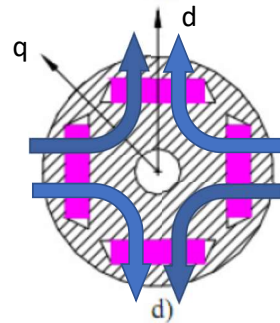
b) Inset PM (anisotropo)



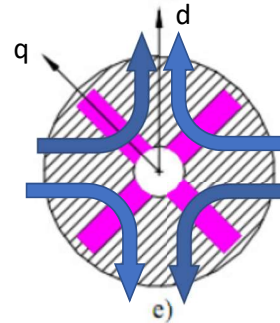
c) Salient pole
(isotropo | anisotropo)



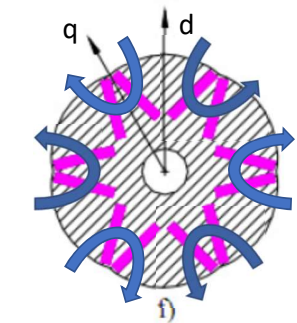
d) IPM (Interior PM)
(anisotropo)



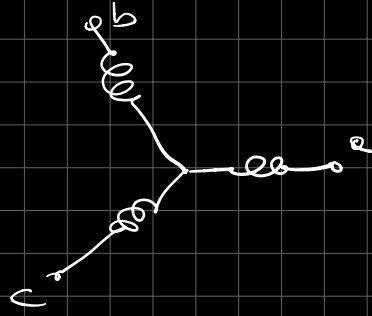
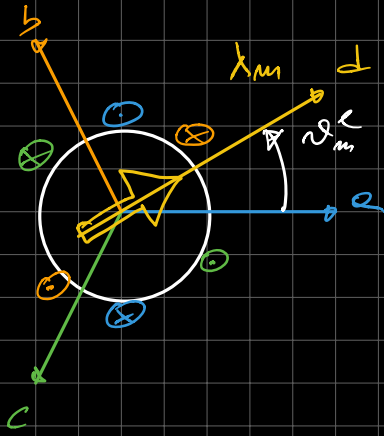
e) Spoke PM (anisotropo)



f) IPM (anisotropo)



Meccanica simonone trifase



$$\begin{cases} v_a = R i_a + \frac{d\lambda_a}{dt} \\ v_b = R i_b + \frac{d\lambda_b}{dt} \\ v_c = R i_c + \frac{d\lambda_c}{dt} \end{cases}$$

Eq. Dinamica generale:

R: resistenza di ciascuna fase

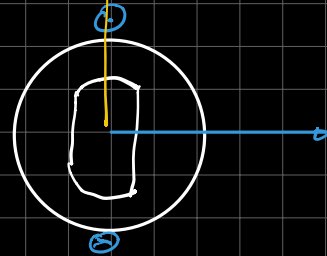
λ_x : $i_a, i_b, i_c, \vartheta_m^e$

TRASCURTO LA SATURAZIONE

$$\begin{cases} \lambda_e = \lambda_{em} + \lambda_{ei} \\ \lambda_b = \lambda_{bm} + \lambda_{bi} \\ \lambda_c = \lambda_{cm} + \lambda_{ci} \end{cases}$$

↑
Flusso di
rotore

↖ Contributo della corrente



$$\begin{cases} \lambda_{em} = \lambda_m \cos \vartheta_m^e \\ \lambda_{bm} = \lambda_m \cos(\vartheta_m^e - 2/3\pi) \\ \lambda_{cm} = \lambda_m \cos(\vartheta_m^e - 4/3\pi) \end{cases}$$

H_p: SIA ANCHE ISOTROPA (POTRE' USCIRE) NON DI PENDE' MA' A' POSIZIONE

$$\begin{cases} \lambda_{ei} = L_e i_e + M_{eb} i_b + M_{ec} i_c \\ \lambda_{bi} = M_{be} i_e + L_b i_b + M_{bc} i_c \\ \lambda_{ci} = M_{ce} i_e + M_{cb} i_b + L_c i_c \end{cases}$$

$$L_e = L_b = L_c = L_e$$

$$M_{eb} = M_{be}$$

$$M_{ec} = M_{ce} \dots$$

Possono scrivere dunque:

$$\begin{cases} \lambda_{ei} = L_e i_e + M i_b + M i_c & = (L - M) i_e = L i_e \\ \lambda_{bi} = M i_e + L_e i_b + M i_c & = (L - M) i_b = L i_b \\ \lambda_{ci} = M i_e + M i_b + L_e i_c & = (L - M) i_c = L i_c \end{cases}$$

$$i_e + i_b + i_c = 0 \quad -i_b - i_c = i_e$$

$$L = L_e - M$$

INDUTTANZA
SINCRONA

$$M \approx -\frac{1}{2} L_e$$

$$L \approx \frac{3}{2} L_e$$

I flussi sono dunque:

$$\begin{cases} \lambda_e = \lambda_m \cos \vartheta_m^e + L i_e & \vartheta_m^e = \omega_m^e t \\ \lambda_b = \lambda_m \cos(\vartheta_m^e - \frac{2}{3}\pi) + L i_b \\ \lambda_c = \lambda_m \cos(\vartheta_m^e - \frac{4}{3}\pi) + L i_c \end{cases}$$

$$\begin{cases} v_e = R i_e + L \frac{d i_e}{d t} + \frac{d \lambda_{em}}{d t} \\ v_b = R i_b + L \frac{d i_b}{d t} + \frac{d \lambda_{bm}}{d t} \\ v_c = R i_c + L \frac{d i_c}{d t} + \frac{d \lambda_{cm}}{d t} \end{cases}$$

$$\begin{cases} \frac{d \lambda_{em}}{d t} = -\omega_m^e \lambda_m \sin \vartheta_m^e = \omega_m^e \lambda_m \cos(\vartheta_m^e + \frac{\pi}{2}) \\ \frac{d \lambda_{bm}}{d t} = \dots = \omega_m^e \lambda_m \cos(\vartheta_m^e + \frac{\pi}{2} - \frac{2}{3}\pi) \\ \frac{d \lambda_{cm}}{d t} = \dots = \omega_m^e \lambda_m \cos(\vartheta_m^e + \frac{\pi}{2} - \frac{4}{3}\pi) \end{cases}$$

Terme di forze contro-elettromotrici di rete in movimento

Se ω_m^e è costante (e neppure) è una tensione sinusoidale
BRUSH-LESS SINUSOIDALE SINCRONA CC ROTORE

$$E_m = \omega_m^e \lambda_m$$

$$E_{rms} = \frac{E_m}{\sqrt{2}} = \frac{\omega_m^e \lambda_m}{\sqrt{2}}$$

Valori di fase

$$V_{rms} = \sqrt{3} E_{rms} = \frac{\sqrt{3}}{\sqrt{2}} \omega_m^e \lambda_m \quad \text{concatenato}$$

$$K_e = \frac{\sqrt{3}}{2} \lambda_m p : \text{Costante di fase U.s}$$

$$K_e \cdot \omega_m = V_{rms}$$

Fine